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Example 1: define a vector

```
a = [1 ; 2 ; 3 ; 4 ; 5]

% Defines a column vector a with entries 1,2,3,4,5. Entries in a column
%vector are separated by a semicolon (;). space. Matlab treats "a" as a
%column vector, which can also be thought of as a matrix with dimension 5x1.

%An aside: to suppress the output of a line, end it with a ; (semicolon).
%For example:

a2 = [1 ; 3 ; 4] ;

%assigns the variable a2 with this corresponding column vector, while the
%semicolon suppresses output in the command window.
```

```
a =

     1
     2
     3
     4
     5
```

Example 2: basic operations on vectors

```
b = 2 * a

%The line 2 * a returns the scalar multiplication of the vector a by the
%scalar 2. The line "b = 2 * a" creates a new variable b (another 1x5
%matrix) with the entries of 2 * a.

c = a + 2

%In the expression "a + 2", the value 2 is added to each entry of a. This
%line then creates the new variable c (1x5) with entries a + 2.
```

```
b =  
  
    2  
    4  
    6  
    8  
   10
```

```
c =  
  
    3  
    4  
    5  
    6  
    7
```

Example 3:

```
%To create a matrix: enter rows as you would for vectors and demarcate the  
%end of a row with a semicolon ";".
```

```
M = [0 1 2 ; 3 4 5 ; 6 7 8]
```

```
%Matrix multiplication is handled with * (asterisk). For example, if
```

```
v = [1 ; 3 ; 5]
```

```
%is a 3x1 column vector, then the matrix product Av is given by
```

```
M*v
```

```
%Note that * is also used for scalar multiplication. MATLAB is smart and  
%automatically adjusts based on the dimensions of the variables.
```

```
M =  
  
    0     1     2  
    3     4     5  
    6     7     8
```

```
v =  
  
    1  
    3  
    5
```

```
ans =  
  
    13  
    40  
    67
```

Example 4:

```
%Matlab is really good at solving linear systems. To showcase this, we'll  
%use the \ (backslash) operator. First, define  
  
b = [1;3;5]  
  
%and  
  
A = [1 2 0; 2 5 -1; 4 10 -1]  
  
%To solve the linear system Ax = b, we assign  
  
x = A \ b  
  
%To show that Ax = b actually holds, we compute the remainder r = Ax - b as  
%follows:  
  
r = A*x-b  
  
%When you run this section, you'll see in the command window that the  
%columnn vector r is the 0 vector. This confirms that Ax = b, as desired.  
%(Note: once this section is run, the value assigned to the variable r is  
%listed in the right-hand window as well.)
```

```
b =  
  
    1  
    3  
    5  
  
A =  
  
    1     2     0  
    2     5    -1  
    4    10    -1  
  
x =  
  
    1  
    0
```

-1

r =

0
0
0

Example 5:

```
%MATLAB is also computer algebra software, and can manipulate algebraic
%equations. For example, you can use the "solve" command for exact
%solutions to quadratic equations:
```

```
syms z;
```

```
solve(z^2 - 3 * z + 1 == 0)
```

```
%Note that solutions are stored as the 2x1 vector "ans".
```

ans =

$3/2 - 5^{(1/2)}/2$
 $5^{(1/2)}/2 + 3/2$

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